

Use of Cone Penetration Test (CPT) to derive parameters for shallow foundation design

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Aims:

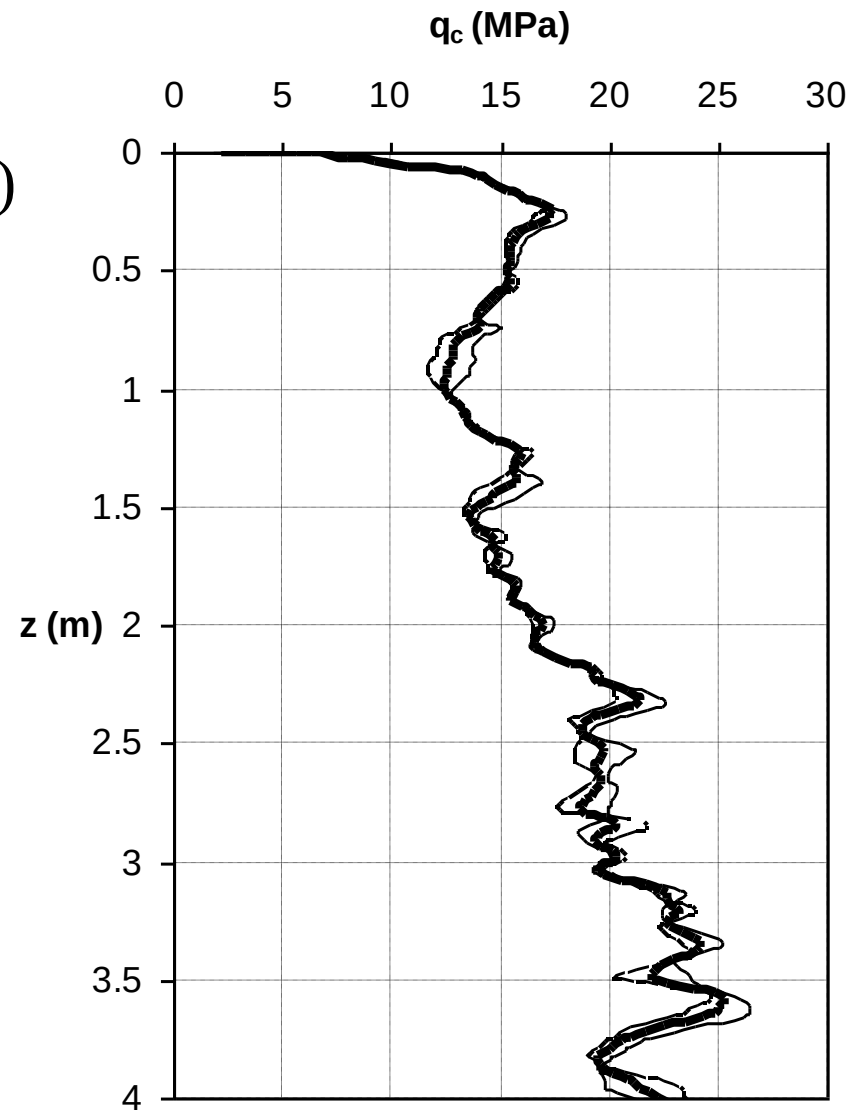
For vertically loaded footings on dense sands, predict using simple techniques and CPT measurements:

- Ultimate bearing capacity (q_{ult})
- Load-displacement response

Designer primarily concerned with estimating settlement (s) of footing under working stress conditions (choice of appropriate Young's modulus)

Test site :

- Glacial sand deposit
- Inter-bedded ($D_{50} = 0.1\text{--}0.3\text{ mm}$)
- Water table 5 m below founding level, $w \cong 12\%$
- Relative density almost 100 %
- Over consolidated,
 $\sigma'_{v0} = 700\text{--}800\text{ kPa}$
- Peak friction angle = $36\text{--}39^\circ$
- $q_c = 12\text{--}25\text{ MPa}$



CPT end resistance (q_c) profile

Ultimate bearing capacity

$$q_{\text{ult}} = 0.5 B\gamma N_{\gamma} S_{\gamma} + \gamma D N_q S_q \text{ (uncemented sand)}$$

- but main uncertainty lies in choice of friction angle to determine bearing capacity factors N_{γ} , N_q

⇒ Use CPT to determine friction angle

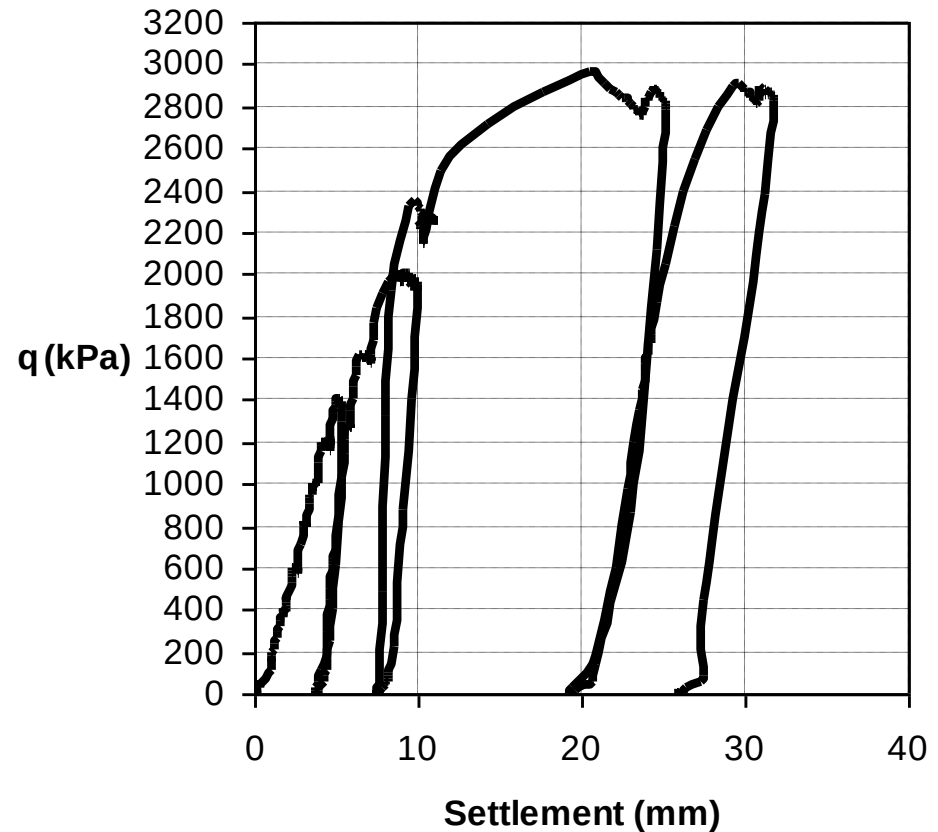
- Bearing pressure (q) normalized by CPT end resistance (q_c), after Randolph et al. (2003)

$$q/q_c = 0.09\text{--}0.16, s = 5 \% \text{ foundation diameter}$$

$$q/q_c = 0.13\text{--}0.21, s = 10 \% \text{ foundation diameter}$$

Plate loading tests

- 0.25 m square, steel plate founded at 0.5 m depth
- Load applied in 25 kN increments
- Unload-reload loops performed at 85, 125, 180 kN



Bearing pressure
resistance vs. settlement

$q_{ult} \cong 2950$ kPa at $s = 21$ mm

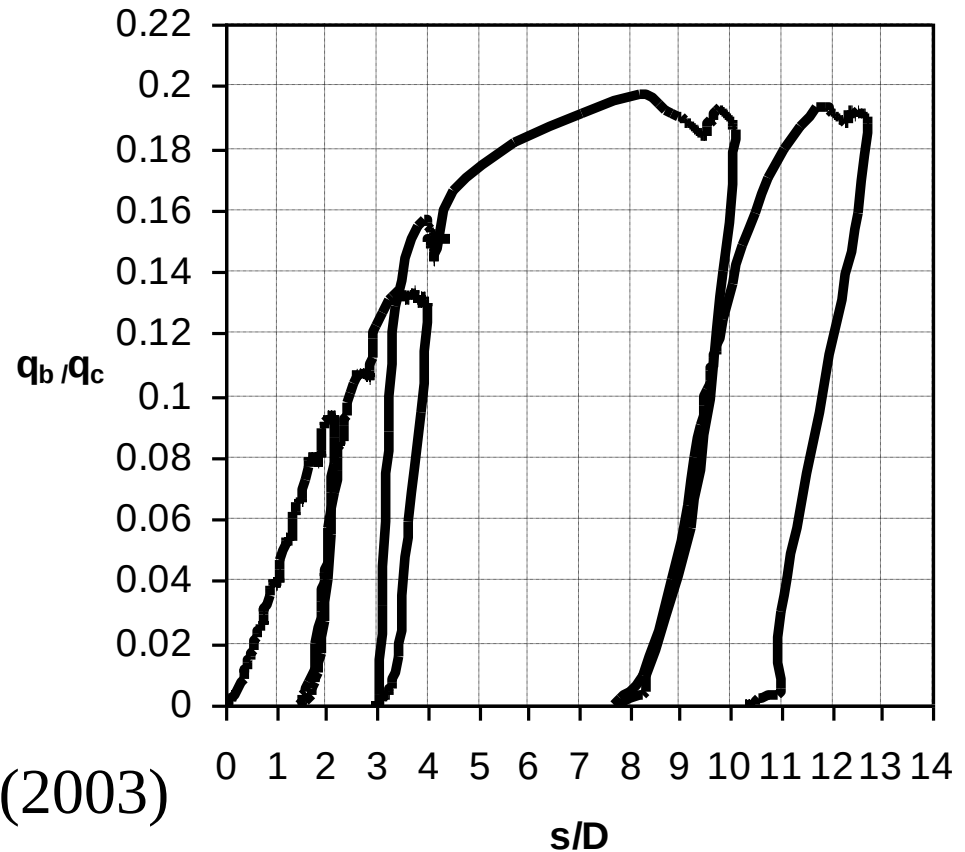
Load–settlement response linear-elastic for $q \leq 1000$ kPa

Bearing pressure normalized by CPT q_c value vs.
normalized displacement (s/D)

$q/q_c = 0.17$ at 5 % and
 $q/q_c = 0.20$ at 10 %
foundation diameter

$$\Rightarrow q_{ult} = 0.2 q_c$$

Agrees with Randolph et al. (2003)



Load-displacement response

Choice of appropriate E' value

A) Linear-elastic method

$$E'_{\text{initial}} = \alpha q_c \quad (\text{Lunne \& Christoferson, 1985})$$

with $\alpha = 5$ for over-consolidated soil, $q_c < 50$ MPa

$$\Rightarrow E'_{\text{design}} = 75 \text{ MPa for this site} - \text{using } q_c = 15 \text{ Mpa}$$

Actual E' response of test footing derived from measured pressure and settlement response (see figure) using:

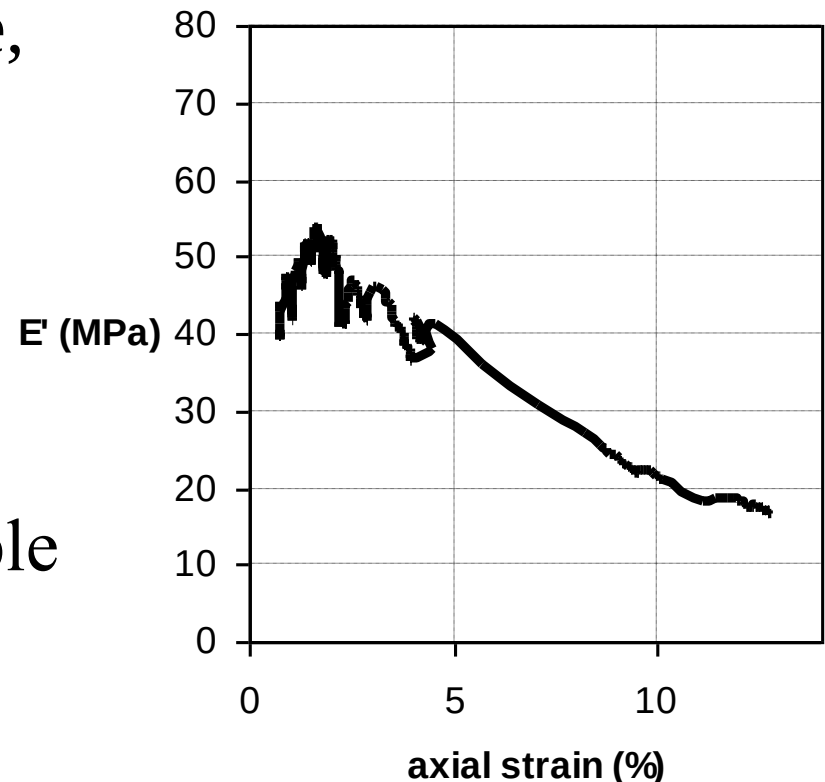
$$s = [\pi q D (1-\nu^2)] / (4E')$$

where q = applied pressure,
 ν (poissons ratio) typically
0.2 for drained material,

E' = Young's modulus

E' drops off rapidly, for example
54 MPa at $s/D = 1.7\%$
to 18 MPa at $s/D = 12\%$

Linear elastic approach unconservative



B) Hyperbolic models:

$$s = \frac{Q \cdot I_{hrv}}{D \cdot E_o [1 - (Q/Q_{ult})^{0.3}]} \quad (\text{Mayne 2000})$$

where Q_{ult} = ultimate capacity,

I_{hrv} = displacement influence factor,

$$E_o = 2G_o(1+\nu)$$

$Q_{ult} = q_{ult} \times \text{Footing area}$, with $q_{ult}/q_c = 0.20$

need to determine G_o values

Measurement of G_o

- **CPT based method**

$$G_o = b \sqrt[3]{q_c \sigma'_v p_a} \quad (\text{Robertson, 1997})$$

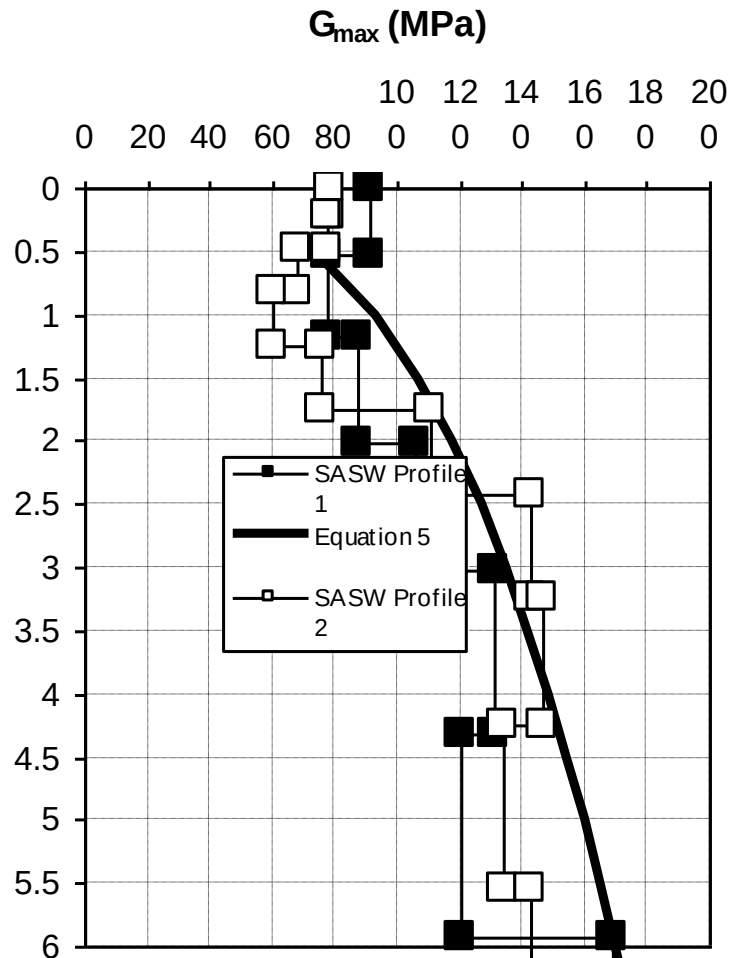
where b varies from 140 to 280, σ'_v = in-situ vertical effective stress, p_a = atmospheric pressure

- **For comparison, G_o measured in-situ using geophysics**

Shear wave velocity profiles using Multi Channel Analysis Surface Waves (MASW) method (Park et al. 1999) at the test site

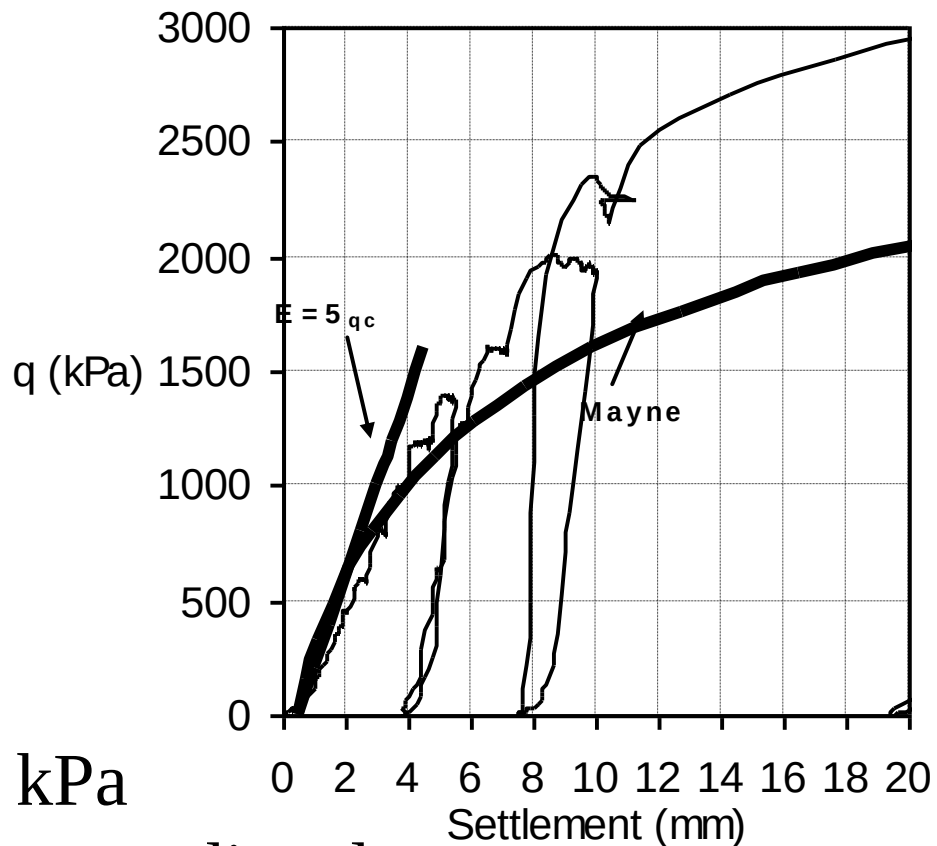
$$G_{\max} = \rho \cdot V_s^2$$

V_s = shear wave velocity (m/s), ρ = density (kg/m^3)



CPT and MASW in agreement, use CPT method in practice
 $\Rightarrow G_0 \cong 82$ MPa at 0.5 m founding depth

Linear-elastic prediction after Lunne & Christoferson (1985)
Hyperbolic prediction after Mayne (2000)



For a factor of safety = 3,
Safe bearing pressure $\cong 1000$ kPa
same as actual 4 mm settlement predicted
by hyperbolic model

Conclusions

For vertically loaded footings in dense sands,

From CPT end resistance (q_c):

- **Ultimate bearing capacity = $0.2 \times q_c$**
- **Accurate settlement predictions under working stresses** using hyperbolic model (after Mayne 2000) and G_o predictions from measured CPT q_c (after Robertson, 1997)